## Basic Mathematics BY T. P. JONES, O.L.S.

A sub-routine for computing an angle in double precision from its tangent is listed in Figure 1.

The argument must be ZO#. The computed angle in degrees and decimal degrees will be in ZJ#.

		INPUT ZO#: GOSUB 40480: PRINT ZJ#: GOTO 10
	40465	
		REM >>> ARC-TANGENT ROUTINE <<<
	40475	
I	40480	$ZR_{3} = 0$ : $ZP_{3} = 0$ : IF $ZO_{4}^{2} < 0$ THEN $ZO_{4}^{2} = ZO_{4}^{2} * -1$ : $ZR_{3}^{3} = 1$
	40485	IF $ZO\# > 1$ THEN $ZO\# = 1 / ZO\#$ : $ZR\% = ZR\% + 2$
	40490	ZF# = 1.732050807568877: IF ZO# <= 0.2679491924311227 THEN 40500
	40495	$ZR_{3} = ZR_{3} + 4: ZO_{4} = (ZO_{4} * ZF_{4} - 1) / (ZO_{4} + ZF_{4})$
	40500	ZS = -1: $ZP$ = 1: $ZK$ = $ZO$ * $ZO$ = $ZL$ = $ZO$ : $ZJ$ = $ZO$ =
ł	40505	ZLH = ZLH * ZKH * ZSR: ZPR = ZPR + 2: ZMH = ZLH / ZPR
1	40510	IF ZM# <> 0 THEN ZJ# = ZJ# + ZM#: GOTO 40505
	40515	IF ZR% > 3 THEN ZJ# = ZJ# + 0.5235987755982988: ZR% = ZR% - 4
	40520	IF ZR% > 1 THEN ZJ# = 1.570796326794896 - ZJ#: ZR% = ZR% - 2
	40525	IF ZR% $\langle \rangle$ 0 THEN ZJ# = $-ZJ$ #
	40530	ZJ# = ZJ# * 57.29577951308232: RETURN
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